

Graphing and pendulum lab sig fig homework non - linear graphing no pendulum lab

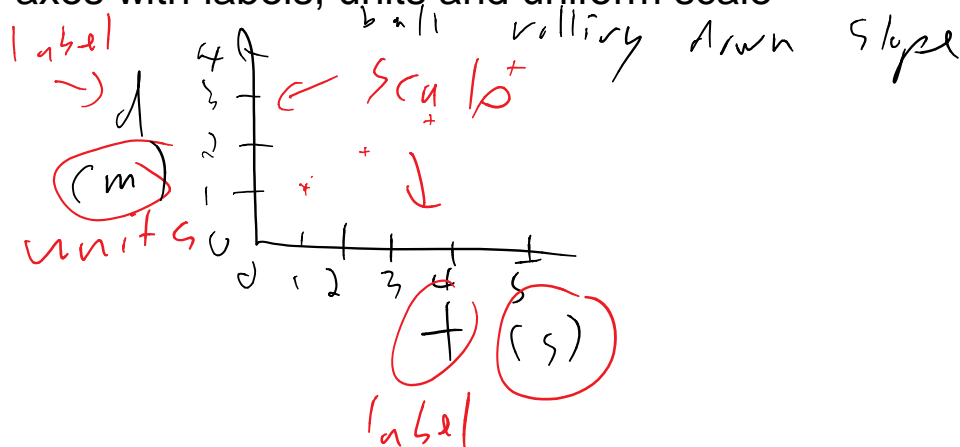
1a) 6 b) 4 c) 2 d) 2 4.7
2a) $4.764 \times 10^1 = 47.64$ b) -2.040 c) $557 = 5.6 \times 10^2$
d) 5×10^3 0.005 has 1 sig fig, so $24.1/0.005=4,820.0$

3a) 708 even rule so if it was 708.5 you would also round it to 708

graphing

all graphs need:

title - don't just write d vs t, say ball rolling down slope
axes with labels, units and uniform scale



plot data points - sometimes use a plus to indicate uncertainty

draw a best - fit line - show the trend of the data
DO NOT CONNECT THE DOTS

if the dots are lined up, then use a ruler for the line and try to be close to all the data, doesn't have to go through the origin

then you draw a triangle using two points on the line as far apart as you can to determine the rise and run to get the slope, $m = \text{rise/run}$

don't forget units and round it to a reasonable number of sig figs (2 or 3 usually)

if the data is not linear, draw a smooth curve
 - recognize the curve and transform the data to make it straight



parabola

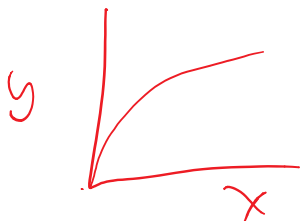
→



linear

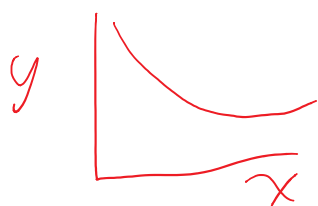
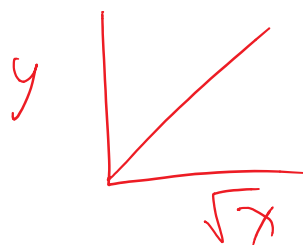
proportional

$$y \propto x^2$$



parabola

→



hyperbola

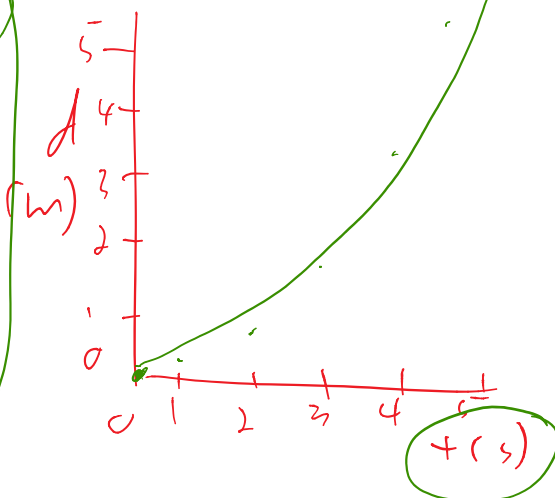
inverse relationship

ball rolling down a hill

ball rolling down hill

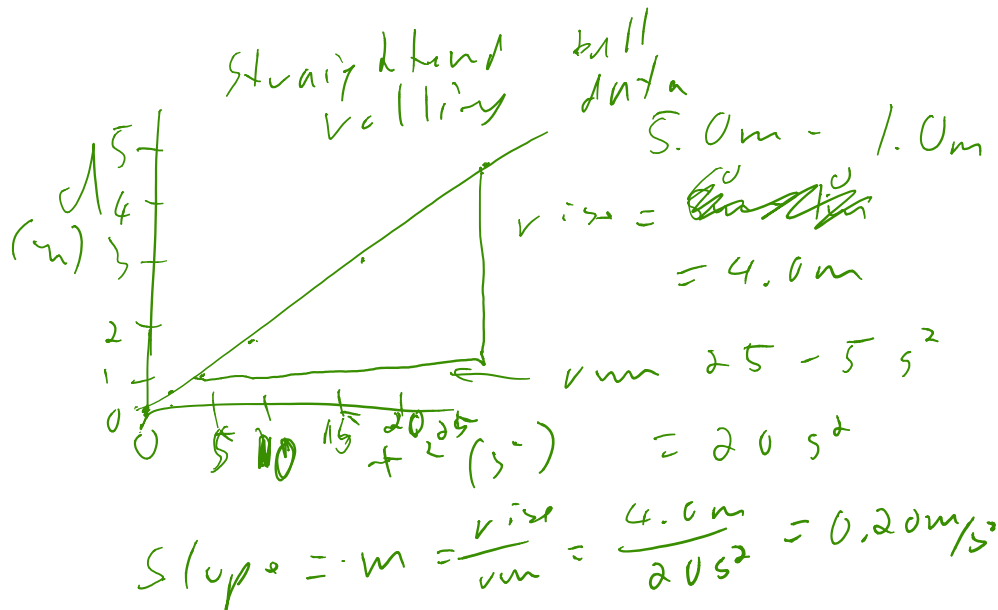
d(m)	t(s)
0.0	0.0
0.21	1.0
0.79	2.0
1.83	3.0
3.23	4.0
5.10	5.0

$t^2 (s^2)$
 0.0
 1.0
 4.0
 9.0
 16
 25



$d \propto t^2$

0 1 2 3 4 5
 $t^2 (s^2)$



y-intercept = 0.1 m

equation:

$$y = mx + b$$

$$d = 0.20 \text{ m/s}^2 t + 0.1 \text{ m}$$

* purpose

block 1-2

Sig fig worksheet

graphing non-linear functions

graphing practice - derive equations

next class : lab period of a pendulum - graphing,
 lab report intro/practice

Friday quiz - units, sig figs, graphing 1-linear 1-nonlinear

sig figs

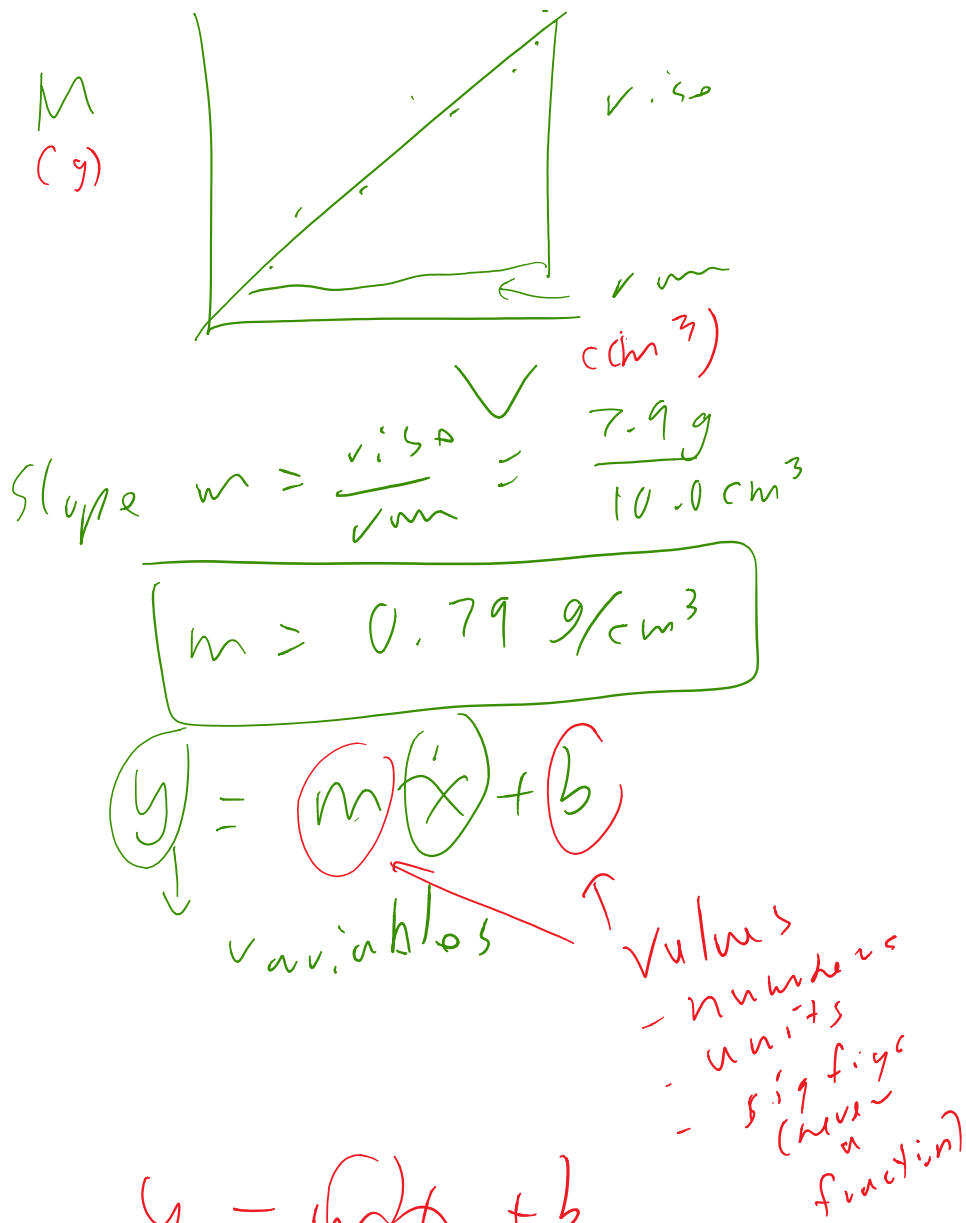
1a) 6 b) 4 c) 2 d) 2

- 2a) 47.36 round to the hundredth - decimal place
 b) -1.960 must have the zero to show the precision
 c) 5.6×10^2 d) 5×10^3 watch 0.005 has only 1 sig fig, so the answer is rounded to 1 sig fig

3a) 707.5 rounds to 708 by the even rule
 if it was 708.5 it would still round to 708
 708.50000000000000000001 round to 709
 708.53 even rule does not apply unless it is exactly 5

17, 29

q17



$$y = mx + b \quad \text{--- (linear function)}$$

$$M = \underbrace{0.79}_{\substack{\text{2 or 3} \\ \text{sig figs}}} \text{ g/cm}^3 V + 0.7 \text{ g}$$

independent variable goes on the x axis - the variable that you set.

eg. you pour a certain volume of liquid and measure the mass, the volume is the independent quantity - you set the value

dependent variable - on the y axis - the variable you measure but don't set

eg. the mass of the liquid you poured

convention - y vs x, so if I say "graph Mass vs Volume" I am implying Mass on the y axis and Volume on the x axis.

lose \$0.29 per pizza

area = πr^2

graphing

<http://physics-pages.wikispaces.com/file/view/Graphing%20tips.pdf/560059391/Graphing%20tips.pdf>

$C = 3.1 D$

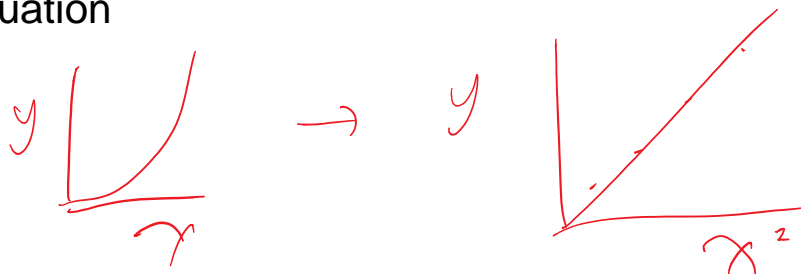
$V = 4.9 \text{ m/s}^2 t + 0.1 \text{ m/s}$

What if the quantities are not linearly related?

eg. a ball rolling down a slope:



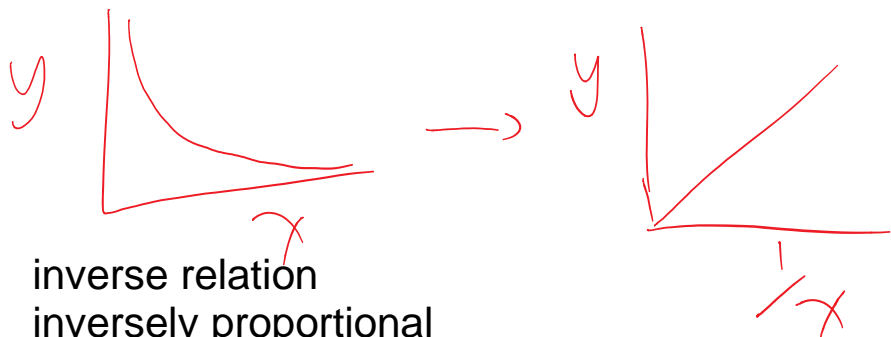
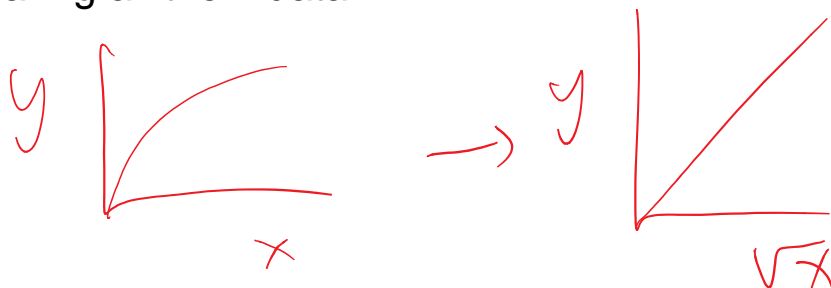
transform the data to linearize and get the equation



parabola

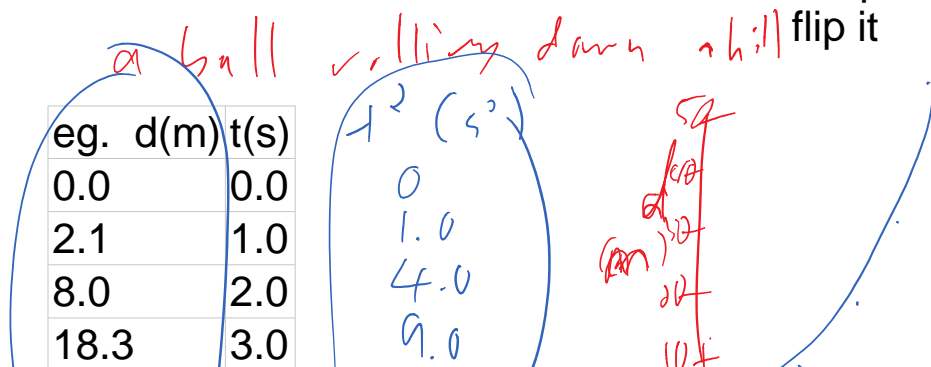
$$y \propto x^2$$

so y is proportional to x^2 , so you regraph the data by squaring all the x data

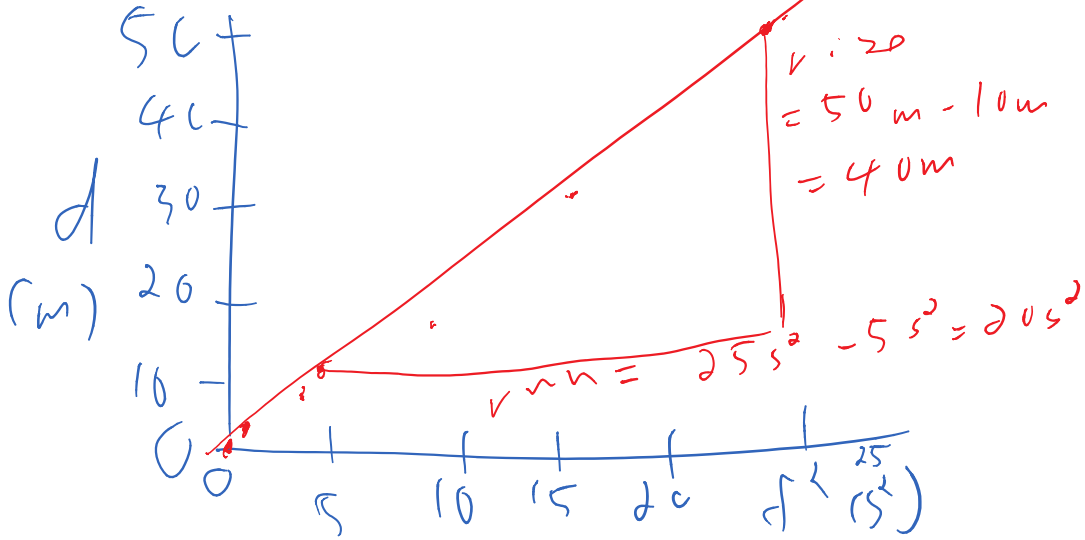
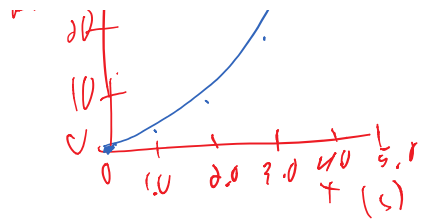
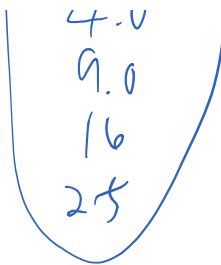


inverse relation
inversely proportional
Hyperbola

reciprocal
flip it



8.0	2.0
18.3	3.0
32.1	4.0
51.2	5.0



slope, $m = \text{rise/run} = 40\text{m}/20\text{s}^2 = 2.0 \text{ m/s}^2$

$y = mx + b'$
 $d = 2.0 \text{ m/s}^2 t^2 + 1.0 \text{ m}$